

Survival Analyses in Support of NOAA's Draft Biological Opinion on California WaterFix

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Overview

- New Bayesian Mark-Recapture Model
 - Overview of methods and results
 - Forms basis for BiOp Analyses

- Using these models for Cal WaterFix
 - Simulating survival under NAA and PA
 - Evaluating NDD Bypass Rules
 - Shaping operations with survival criteria

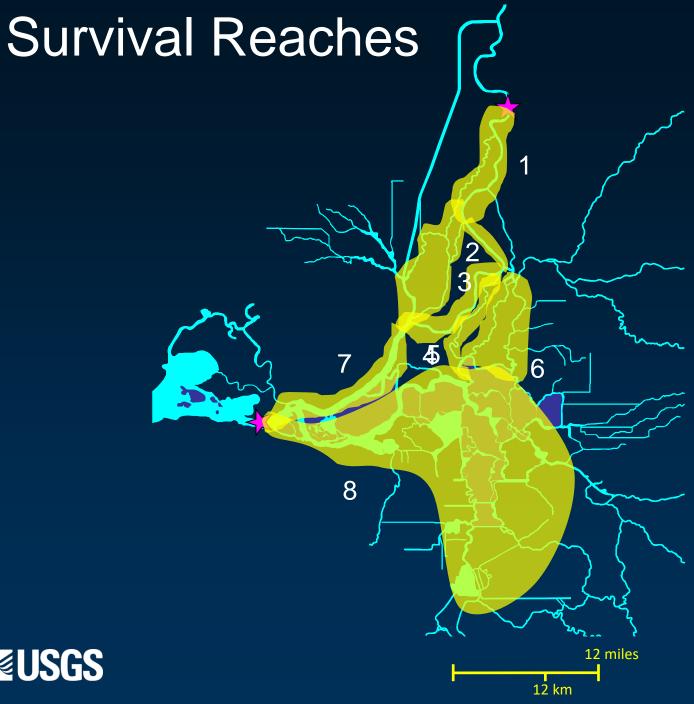


Acoustic Telemetry Data for Analysis

- Data from 2 Acoustic Telemetry Studies
 - NOAA (CALFED) and USFWS (Delta Action 8)
 - Late-fall Chinook salmon
 - Vemco acoustic telemetry
 - 2,170 Acoustic tagged fish
 - 5 Years (2007 2011)
 - 17 unique release groups
 - Migrated between late Nov. and early March
 - Sacramento River Flows at Freeport
 - \sim 6,000 77,000 ft³/s









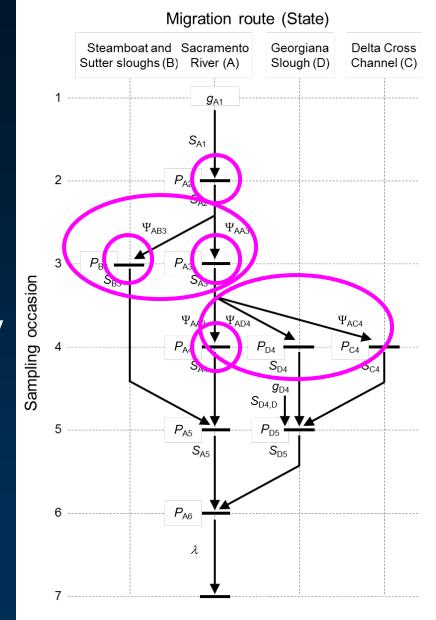
Multistate Model Schematic

3 types of parameters:

p = Detection probability

 Ψ = Routing probability

S = Survival probability





Estimation Framework

- Time-varying individual covariates
 - Covariate values based on date of reach entry
- Date of entry unknown for undetected fish
 - Need to integrate likelihood over missing data
 - Requires a model for missing data
- Model for reach-specific travel times
 - Estimate parameters from observed travel times
 - Impute missing travel times



Strength of Bayesian FrameWork

- Time-varying individual covariates
 - Previous approaches used average values

- Single integrated model
 - Survival and travel time

- MCMC to integrate over missing data
- Random effects
 - Quantify "extra" variation among release groups



Model for Travel Times

• Assume travel times $(t_{i,j})$ distributed lognormally

$$t_{i,j} \sim \operatorname{lognormal}(\mu_j, \sigma_j)$$

 $\mu_j = \operatorname{mean of log}(t_{i,j})$
 $\sigma_j = \operatorname{standard deviation of log}(t_{i,j})$
 $\exp(\mu_i) = \operatorname{median travel time}$

ullet Goal is to estimate μ and σ for each reach



Effect of Discharge on Travel Times

 Relate median travel times to Delta inflows at Freeport

$$\mu_{i,j} = \alpha_{0,j} + \alpha_{1,j} Q_{i,j,d} + \alpha_{2,j} I \left(DCC_{i,j,d} = open \right) + \varepsilon_{g,j}$$

 α_i = reach-specific slope parameters

 $Q_{i,j,d}$ = Freeport discharge on day d when ith fish entered jth reach

 $I(DCC_{i,j,d} = open)$ = binary indicator for reaches downstream of DCC

 $\varepsilon_{g,j}$ = deviation of *g*th release group, ~Normal(0, ξ)



Effect of Discharge on Survival

Relate survival to Delta inflows at Freeport

$$\operatorname{logit}(S_{i,j}) = \beta_{0,j} + \beta_{1,j}Q_{i,j,d} + \beta_{2,j}I(\operatorname{DCC}_{i,j,d} = \operatorname{open}) + \varepsilon_{g,j}$$

 β_i = reach-specific slope parameters

 $Q_{i,j,d}$ = Freeport discharge on day d when ith fish entered jth reach

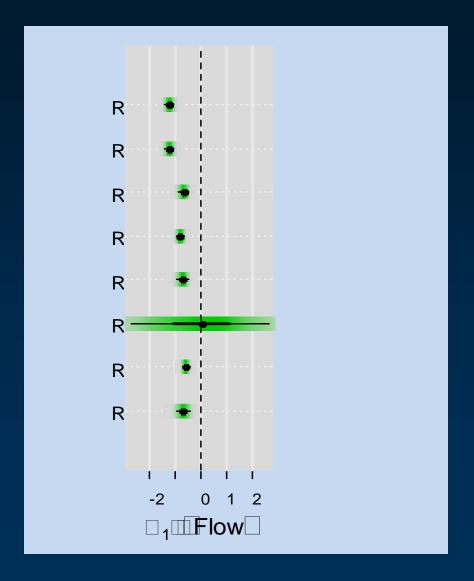
 $I(DCC_{i,j,d} = open)$ = binary indicator for reaches downstream of DCC

 $\varepsilon_{g,j}$ = deviation of gth release group, ~Normal(0, ξ)

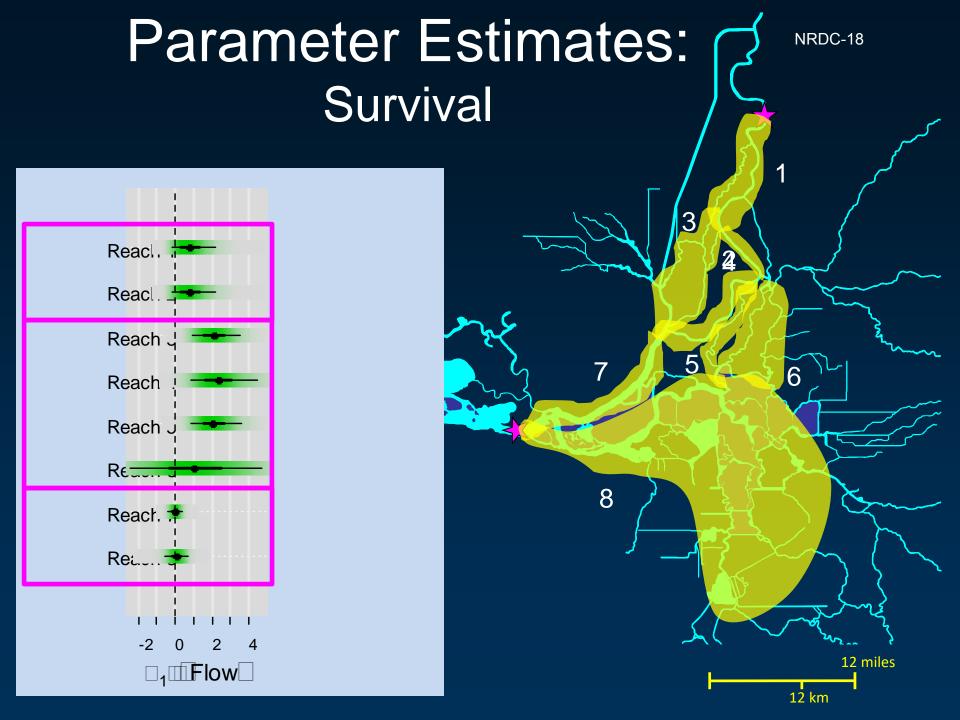


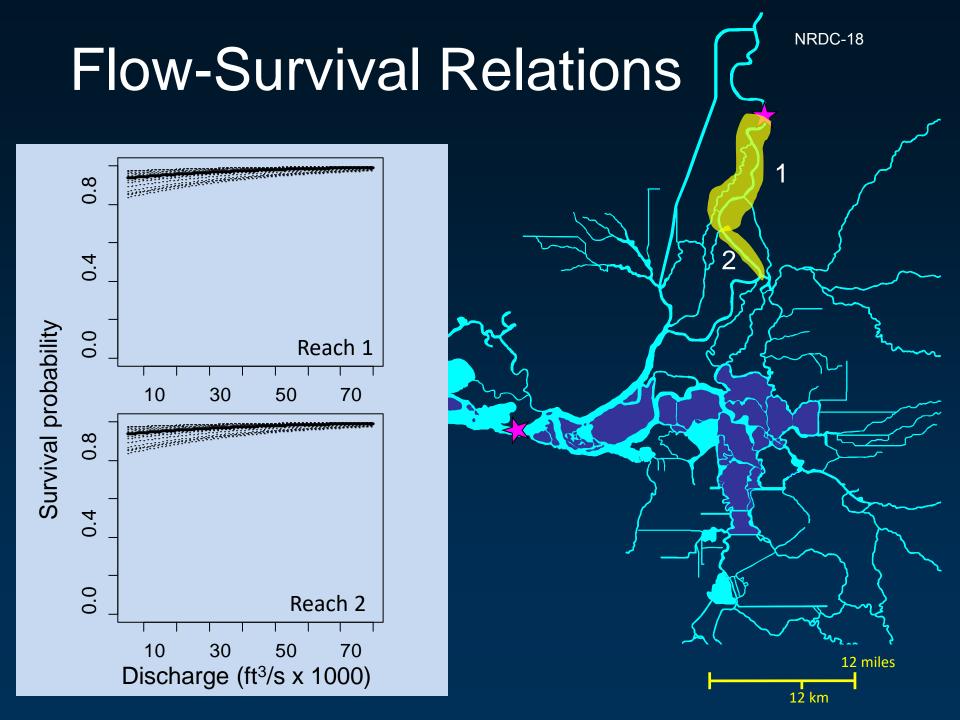
Parameter Estimates: Travel Time

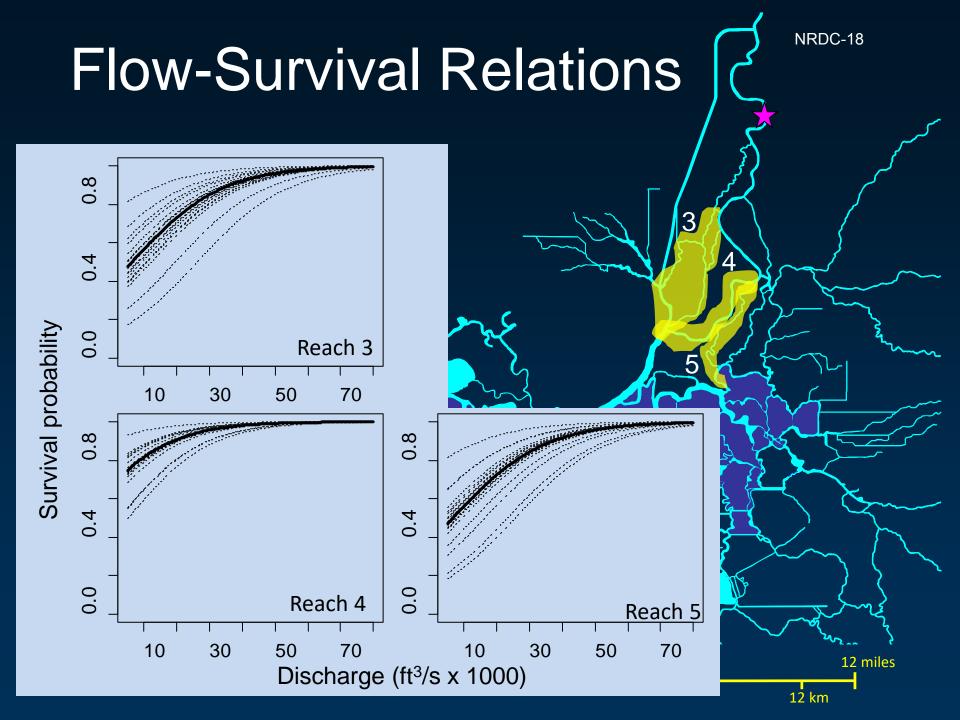
- Negative slopes for all reaches
 - Except DCC (Reach 6)
- Travel time decreases with inflow in all reaches
- DCC effects less certain
 - Except Rio Vista Chipps (Reach 7)

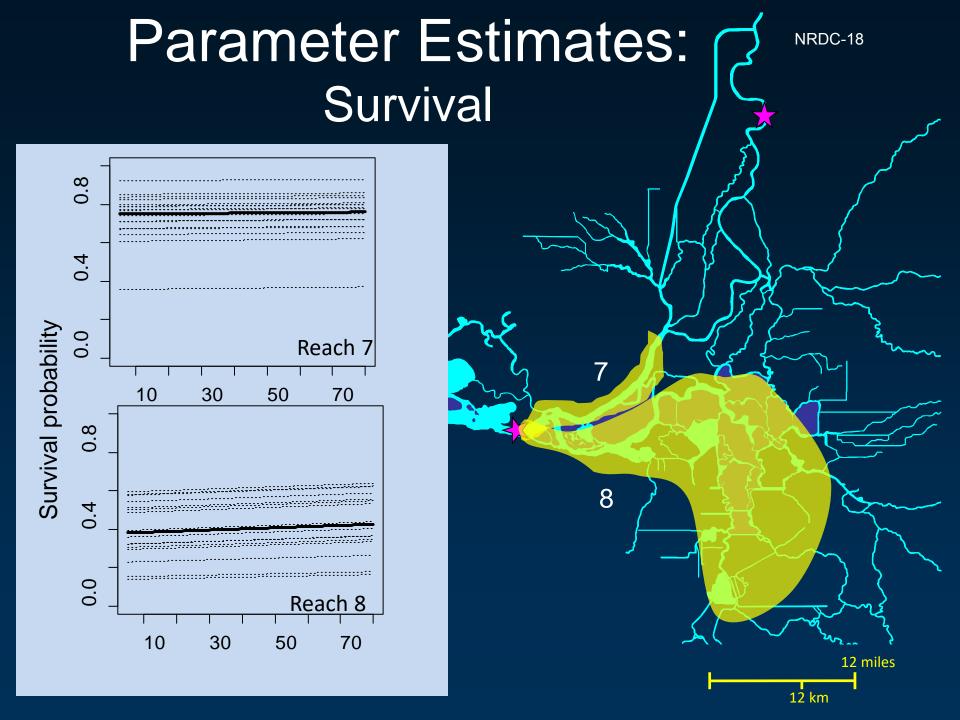




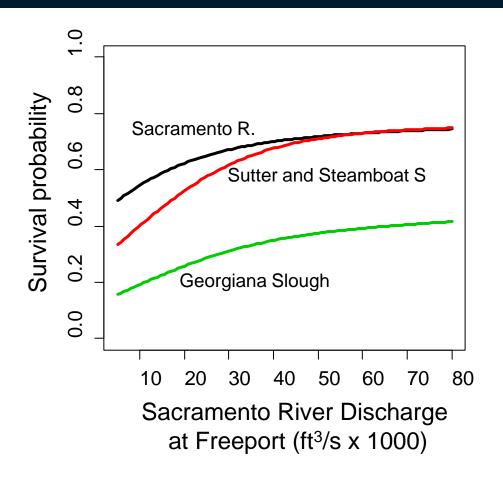


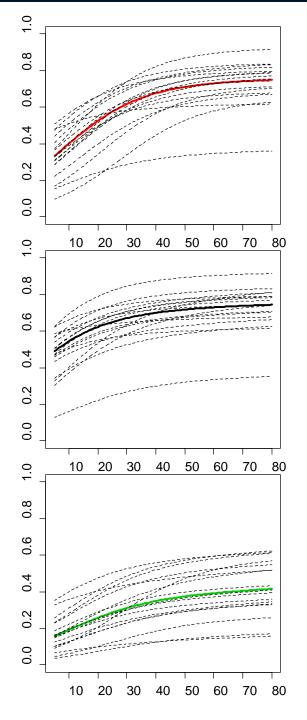




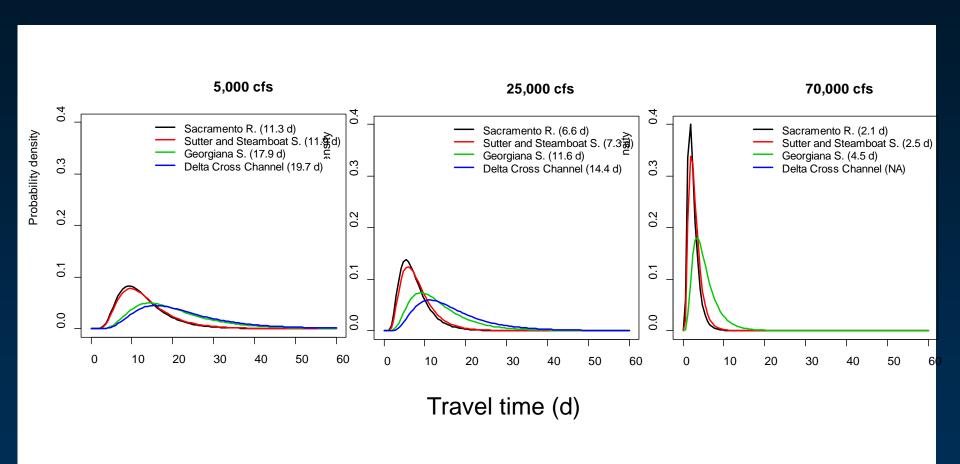


Route-Specific Survival





Route-Specific Travel Times





Summary

Inflows affect travel times in all reaches

- Inflows affect survival in some reaches
 - Upper reaches: high survival at all flows
 - Transition reaches: strongest flow-survival relations
 - Tidal reaches
 - no evidence of flow effect
 - imposes upper limit on route-specific survival

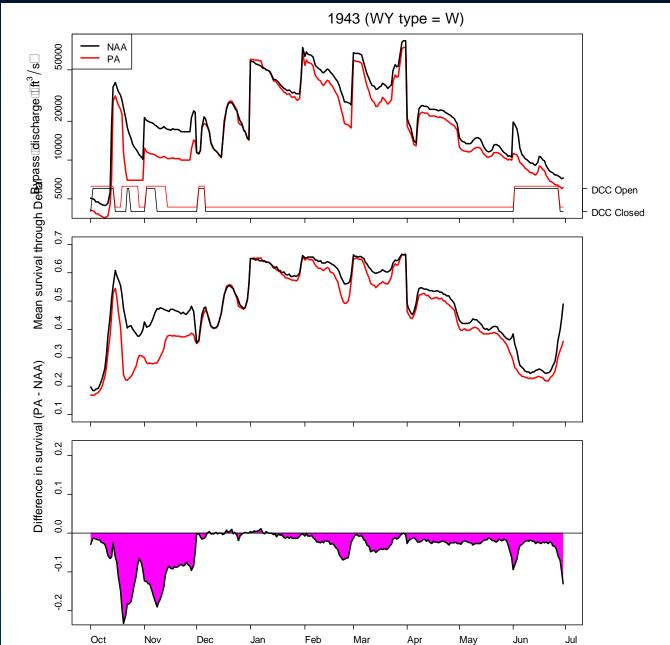


Simulating Survival, Travel Time, and Routing for NAA and PA

- 1. "Release" 10,000 fish at Freeport each day.
- 2. Reach 1 survival same for all fish.
- 3. Draw reach 1 travel times as f(flow)
 - NAA: flow = Freeport discharge
 - PA: flow = Bypass discharge
- 4. At junction of Sutter/Steamboat and Sac, draw route as *f*(flow).
- 5. Reach-specific survival f(flow) at arrival time.
- 6. Repeat for all subsequent reaches.

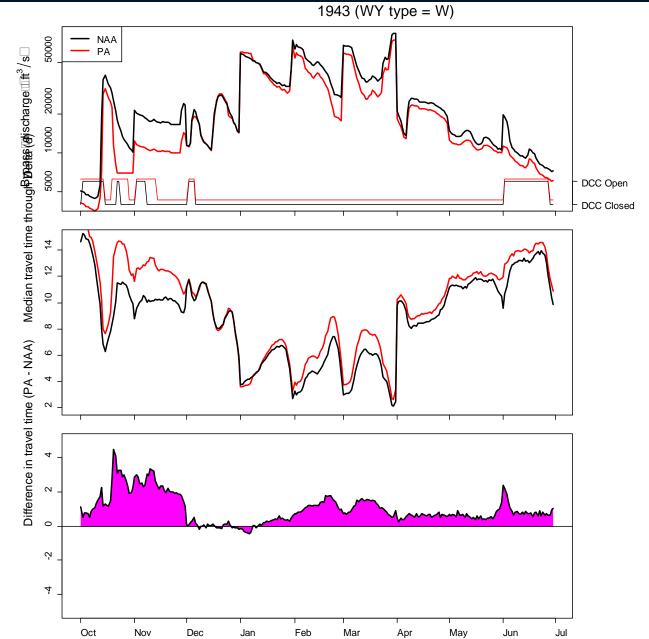


Outputs for Each Year: Survival



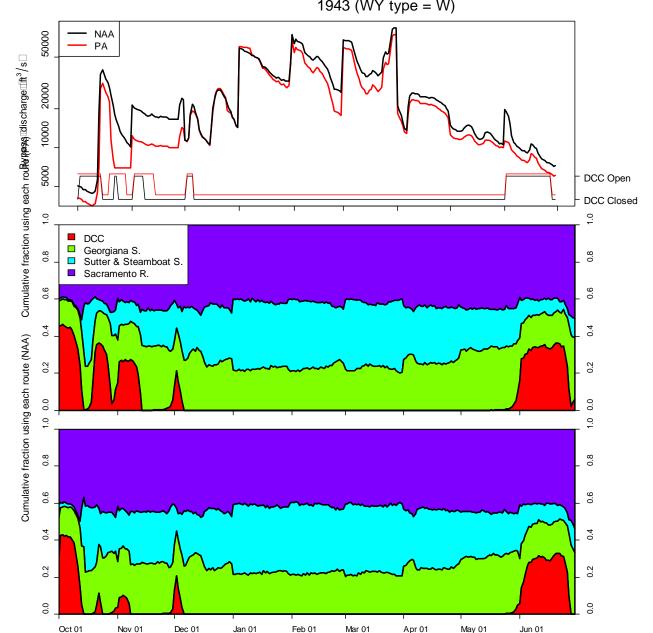


Outputs for Each Year: Travel Time



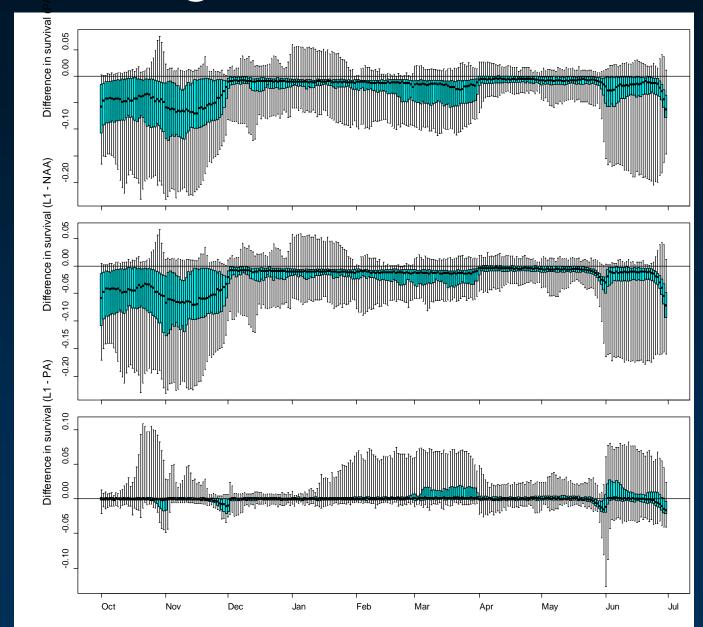


Outputs for Each Year: Routing





Summarizing Survival Differences





Evaluating NDD Bypass Rufe's

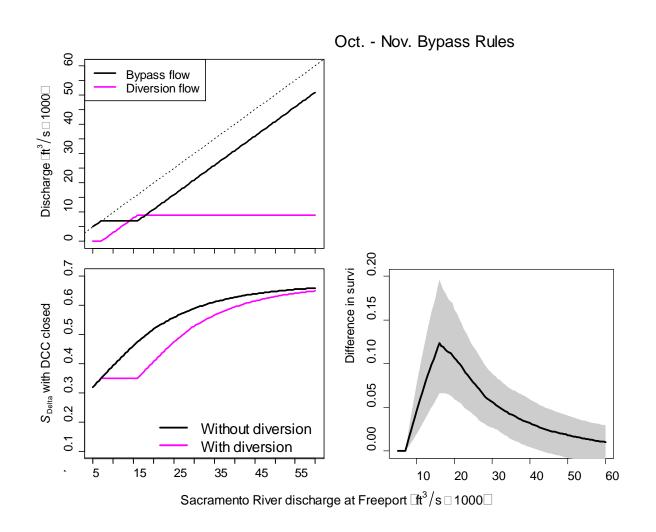
- Apply rule sets under "equilibrium" conditions
 - Assume constant inflows and operations for cohort

Calculate survival with and without diversion

Evaluate survival differences for each rule set

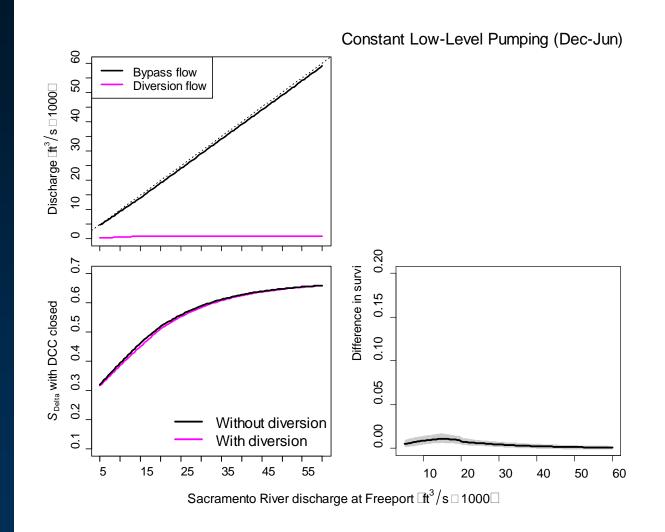


Oct.-Nov. Bypass Rules NRDC-18



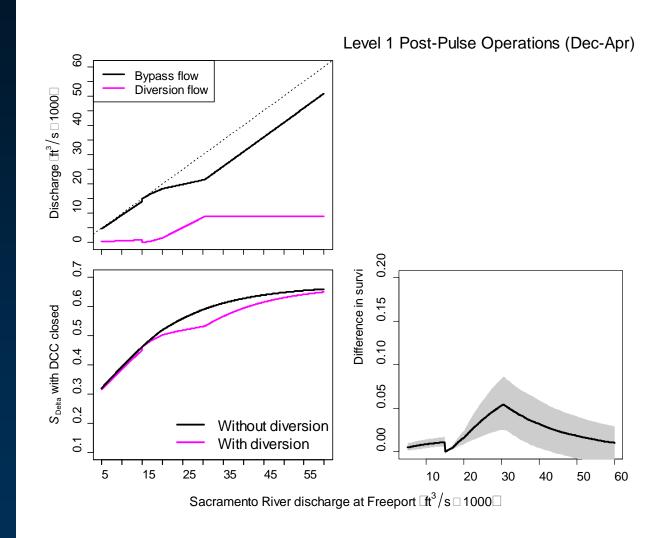


Constant Low-Level Pumping





Level 1 Post-Pulse Operations





Summary: NDD Bypass Rules

- Some large survival differences
 - Depends on
 - Bypass flows
 - Rule set

- In CalSim simulations
 - Highlights why larger differences in Oct., Nov.,
 Jun.
- How else might operations be structured?



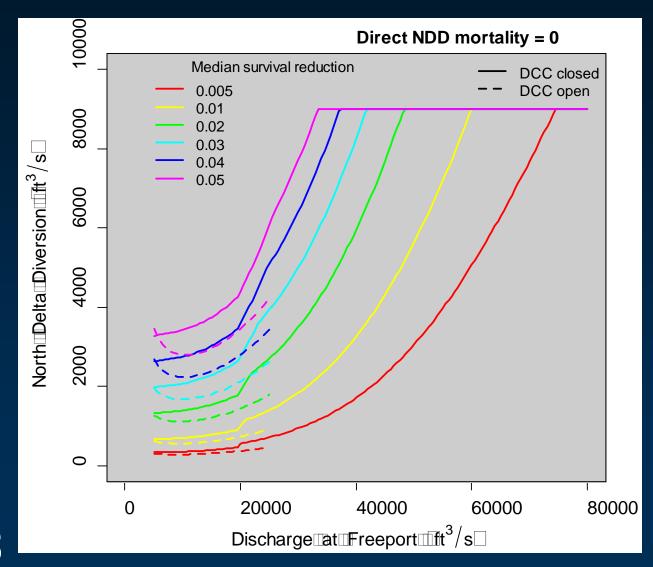
Determining Operations based on Maximum Allowable "Take"

- Example criteria
 - No more than a 0.03 decrease in mean survival
 - 90% probability that survival is decreased by no more than 0.03

- Use survival model to identify diversions that satisfy criteria
 - Find by optimization routine

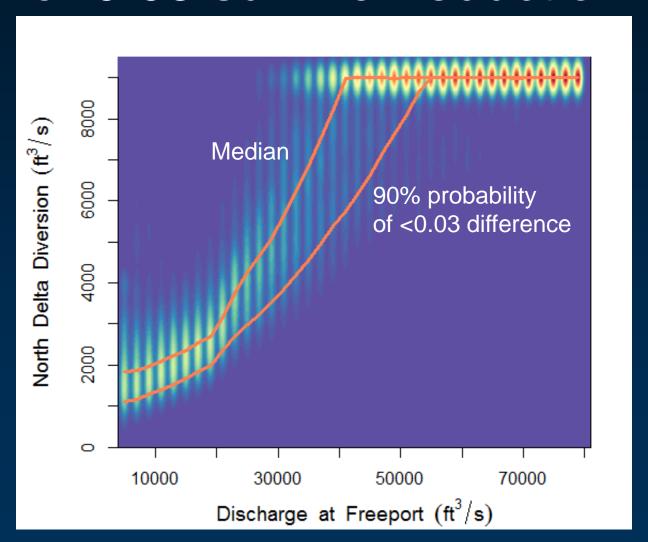


Diversions Based on Median Survival



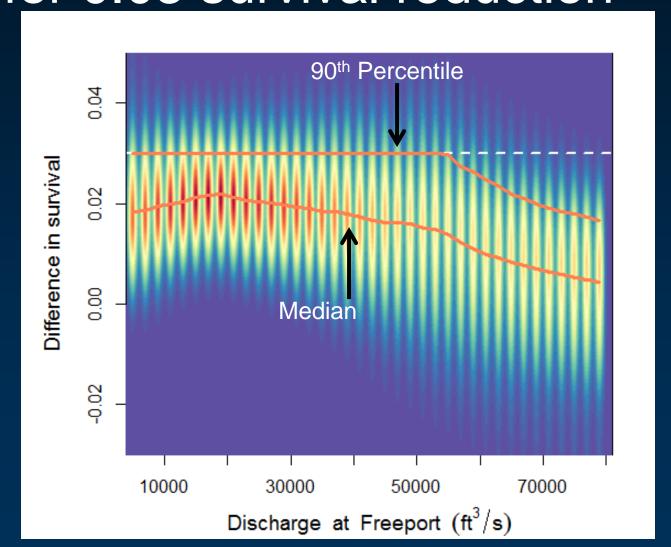


Diversions Based on Full Posterior Distribution for 0.03 survival reduction





Survival Difference Based on 10th percentile of NDD flows for 0.03 survival reduction





Summary

- Survival model can help identify operations that meet specific survival criteria
- Variability in survival can explicitly play a role in setting criteria
- New set of operations can be assessed with other models
 - CVLCM, DPM, etc.
 - More robust inferences



Acknowledgments

Delta Stewardship Council

NOAA

DWR

UC Davis



Important Assumptions

- Extending inferences:
 - Late Fall Chinook = Winter Run?
 - Nov. Mar. = Apr. Jun.?
 - Hatchery = Naturally produced?
 - Current system state = future system state?
 - Predicting outside range of observed data?

- Relative vs. Absolute comparisons
 - Relative more robust
 - NAA vs. PA
 - Shape of driving relationships similar



Diversions Based on Median Survival

